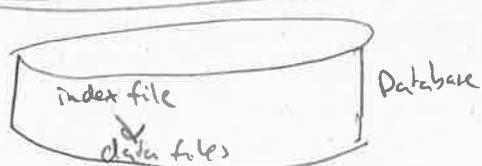
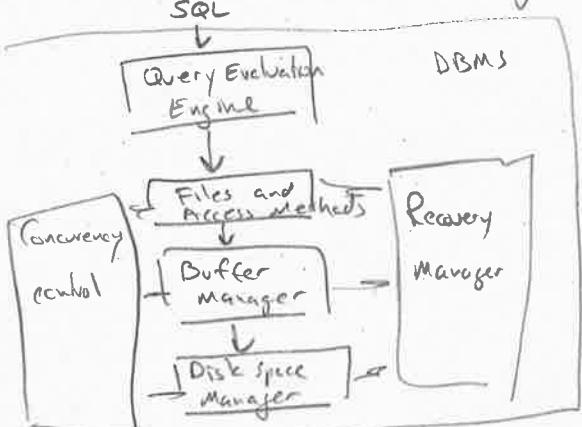


Tuesday 24/2/2015: Data Storage

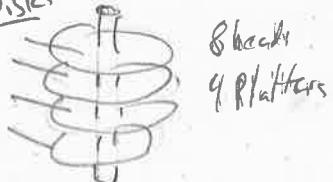
Lecture Topics

- I. Data on External Storage
- II. File Organization
- III. Cost Model
- IV. Data Structures
- V. Indexing

I. Data on External Storage



I.1 Disks



Disk is sequence of cylinders
Cylinder is a sequence of tracks
track is a sequence of sectors

Each sector contains:

- Data area
- Header
- Error correcting information

A "block"

disk ≈ sequence of blocks

- All blocks are the same size
512 B or 4096 B
- must always read a block
seek time - moving arm
rotational delay - wait for block under head
transfer time - move data to/from disk
- Assume virtual memory page is
same size as block

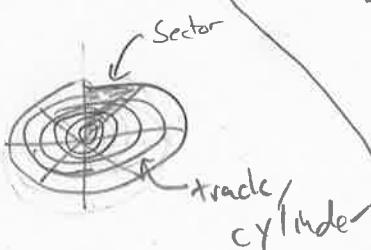
II Files

II.1 File is a sequence of records
records are fixed or variable size
(logical view)

- (Physical view) File is a sequence of blocks (fixed size, not contiguous)
- Easy to find: first, last, next, prev block

II.2 Assumptions

- fixed size records
- No record is in more than 1 block
- several records per block
- "left over" space at end of block



II.3

Records

2	1200
4	1800
1	1200
3	2100
8	1400
9	1400
6	2300

Blocks

9	1400	6	2300
1	2	1200	4
1	1200	3	2100

II.4 To answer a query:

- Read all blocks into RAM
- Get relevant data from blocks
- Additional processing to answer

Q: How to make this fast?

[Tuesday 24/2/2015 Data Storage Pg. 2]

III. Cost Model

III.1

In the book!

B: number of data pages

R: Number of Records per page

D: Average time to read/write page

In this lecture:

- Read or Write block = 1 unit of time

- Processing RAM = free

- Ignore Caching

Justification:

- Disk IO > CPU

- Don't want to model disk contiguity

- Do not want to model cache slots

Goal \Rightarrow minimize number of block accesses

Heuristic \rightarrow make each block read/write as "useful" as possible

Implications:

If you know where E#2 and E#4 are

- data structure cost model = 2 (RAM accesses)
- database cost model = 1 (block access)

#2, #4

- data structure = 2
- database = 2

III.2 Operations

- Scan
- Equality
- Range
- Insert
- Delete

Tools:

- (1) File organization

(2) Indexes (structure showing where records are)

(1) = when you read a block, many useful records

(2) = know where the blocks are

- Maintaining F.O. and index is not free

- Extreme cases = only read vs only write

many indexes
file organization

no indexes
organization

IV Data Structures

- Heap (unsorted sequence, different from data structure "heap" and process "heap")

- Sorted sequence

- Hashing

- 2-3 tree

IV.1 Heap

Find: $O(n)$ operations

Delete: $O(n)$ operations \rightarrow maybe compacted?

Insert: $O(1)$ or $O(N)$

IV.2 Sorted Sequence

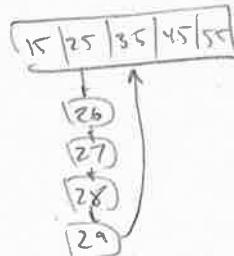
Find: $O(\log N)$ binary search

Delete: $O(\log N)$ or $O(\log N + N)$

Find value, and compact

Insert: $O(\log N)$ or $O(\log N + N)$

Find and push to tail

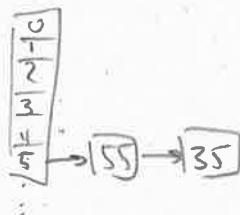


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- May need to "restructure" when you insert or delete
- restructuring is linear in the number of levels of the tree $\approx O(\log_3 N)$ or $O(\log_2 N)$

III.3 Hashing

- Pick a B bigger than N
- function h
 $h: \mathbb{I} \rightarrow B$
- bucket directory



- Assume computing ' h ' is free

Find: $O(1)$ or $O(N+1)$

Insert: $O(1)$ or $O(N+1)$

- problem if B is too small,
need to "grow" and rehash
- can "amortize" this cost

Delete: $O(1)$ or $O(N+1)$

Find: $O(\log N)$

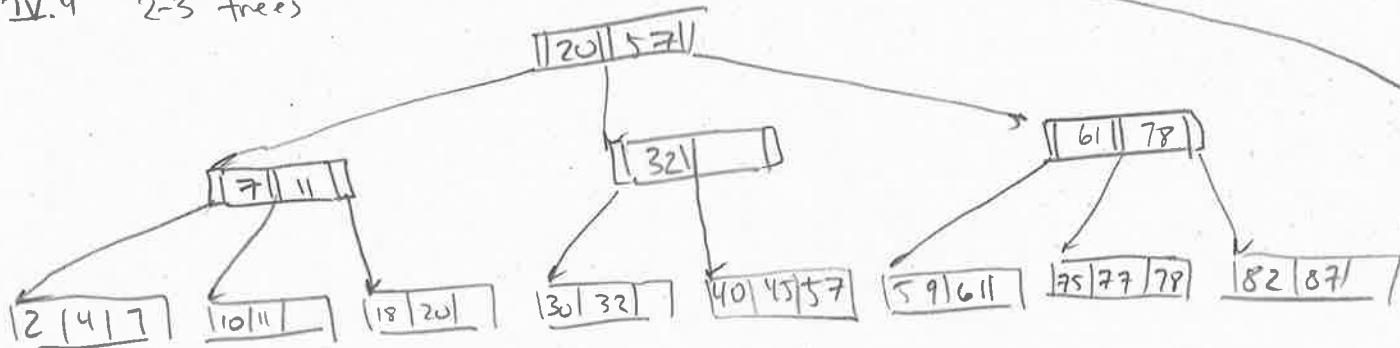
Insert: $O(\log N)$

Delete: $O(\log N)$

IV.5 Which to use?

- if large N , use hash or 2-3
- if many "range", use 2-3
- if not many range, use hash

IV.4 2-3 trees



- Rooted (has a root) and directed (order of children matter)
- All paths from root to leaves are the same
- For each child of a node, there is an index value
- For non-leaf, index indicates the largest value of the leaf in the sub tree
- Each leaf has 2 or 3 values

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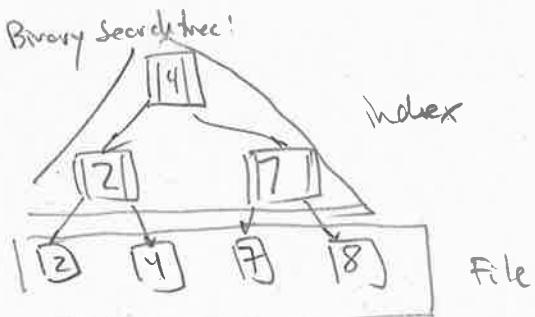
I Indexing

- Data file of blocks
- block of records
- Each record has a "key"
- Index file
 - records of the form (key, block address)
 - the B points to the block of the file that contains k
 - Not saying that there is an index record for every k



= binary search tree

⇒ data, not organized in any way



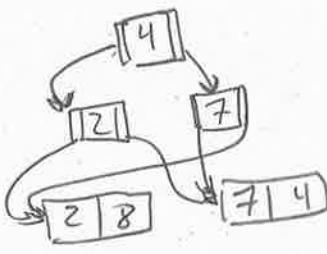
Dense index - for every record (key) in the database, there is a pointer in the index to the block containing it.

Sparse index - opposite of dense

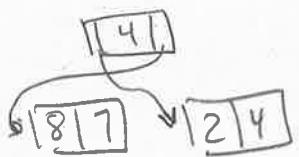
⇒ remember, pointers point to blocks, not records. Once the block is in RAM, it can be found quickly

clustered - a file can be "fully" sorted, without many records between blocks

unclustered - opposite



dense and unclustered



sparse and clustered

Best Case Scenario:

Clustered + sparse

Clustered ⇒ lots of "related" records

Sparse ⇒ efficient to find a block

Example: easy to get all records with a value greater than 4

Summary:

Sparse + unclustered = Bad, cannot find records easily

Dense + clustered = unnecessarily large index

Dense + unclustered = good

Sparse + clustered = best